1	On the emergence of fault afterslip during laboratory
2	seismic cycles
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18	Highlights:
19 20 21 22 23 24 25 26	 Triaxial deformation of frictionally heterogeneous faults Co-seismic events of frictionally heterogeneous faults are followed by afterslip Afterslip magnitude depends on the frictional properties and on the normal stress acting on the fault
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27 Abstract

28 Spatial fault heterogeneity is often invoked to explain the occurrence of fault afterslip following seismic ruptures. In this study, we tested this hypothesis in the laboratory by 29 performing triaxial experiments on both homogeneous and heterogeneous faults, under 30 31 confining pressures of 30, 60, and 90 MPa. The faults were composed of granite, prone to 32 seismic behaviour, and marble, prone to aseismic behaviour. Unlike homogeneous granite 33 faults, which display a nucleation stage followed by regular seismic events, heterogeneous 34 faults can contain the co-seismic dynamic event within the experimental fault length. During 35 this phase, the aseismic areas adjacent to the dynamic event undergo a stress increase, which is 36 then released by fault afterslip over an extended post-seismic phase. The magnitude and 37 duration of this post-seismic phase increase with confining pressure and with the proportion of aseismic areas. We infer that the enhancement of post-seismic afterslip originates from the 38 39 increase in the frictional stability of the aseismic area, and of the normal stress acting on the 40 fault. In addition, the observed increase in initial strain rate with normal stress is well explain 41 by the rate-and-state framework. At the scale of our experiments, fault frictional heterogeneities 42 play a primary role in the emergence of fault afterslip.

43 **Keywords**: Fault heterogeneity, seismic cycle, post-seismic deformation, afterslip.

44 **1. Introduction**

45 Recent geodetical and seismological observations have revealed that a significant proportion 46 of earthquakes exhibit prolonged fault afterslip, primarily characterized by aseismic fault 47 movement in the surrounding of the seismically ruptured zone (e.g., Barbot et al., 2009; Cheloni et al., 2010; Smith & Wyss, 1968; Yagi et al., 2001, 2003. See Avouac (2015) for an extensive 48 49 review). Importantly, the moment released by fault afterslip can be as large as, or even larger 50 than the co-seismic moment (Barbot et al., 2009). Because of that, fault afterslip is expected to contribute significantly to the energy release along the fault during the seismic cycle, as well as 51 52 to stress transfer in areas devoid of recent seismic rupture.

53 To understand the physical parameters controlling the emergence of fault afterslip, 54 numerical models have been developed, primarily based on rate-and-state friction laws (Dieterich, 1978; Ruina, 1983). Within this framework, fault afterslip is typically explained by 55 spatial frictional heterogeneities, where velocity-weakening and velocity-strengthening regions 56 57 interact (Marone et al., 1991; Rice & Gu, 1983). In these models, the co-seismic event is 58 confined to the velocity-weakening zone, which induces stress perturbations and a slip deficit 59 in the velocity-strengthening region, that is subsequently retrieved (at least partially) by 60 aseismic fault afterslip, and often associated with aftershocks (Perfettini & Avouac, 2007). Other models suggest that the presence of stress heterogeneities can induce the emergence of 61 62 fault afterslip (Helmstetter & Shaw, 2009; Hirose & Hirahara, 2004). In this case, afterslip can 63 occur on a velocity-weakening fault zone presenting a stress level that is too low to trigger earthquakes or to permit the adjacent rupture to propagate through this area. Finally, a recent 64 65 study suggests that fault afterslip can be generated on any portion of the fault presenting a 66 geometric moment deficit (the product of slip and rupture area) following an earthquake (Meade, 2024). While these models can effectively describe fault afterslip following 67 earthquakes (e.g., Barbot et al., 2009; Fukuda et al., 2009; Gualandi et al., 2017; Helmstetter & 68 69 Shaw, 2009; Lin et al., 2013; Perfettini et al., 2010; Perfettini & Avouac, 2004, 2007; 70 Wimpenny et al., 2017), assumptions are needed in order to estimate the physical parameters 71 that govern fault afterslip, especially due to the unknown stress conditions.

To understand further the emergence of fault afterslip, laboratory experiments have been conducted along homogeneous and heterogenous fault interfaces. For example, Caniven et al. 74 (2015) demonstrated that post-seismic deformation (both afterslip and viscoelastic relaxation) 75 can be observed in a strike-slip heterogeneous fault system only, composed of a polyurethane 76 foam placed on a silicone layer, representing the seismic upper crust and the ductile lower crust, 77 respectively. Similarly, in analogue experiment of subduction systems, introducing viscoelastic coupling between the overriding plate and the mantle wedge facilitates the post-seismic 78 79 viscoelastic relaxation phase (Caniven & Dominguez, 2021). On bare rock interfaces, afterslip 80 has been observed due to pore fluid pressure recharge of the fault following a co-seismic event 81 (Aben & Brantut, 2023). In this scenario, afterslip is co-located with the main rupture zone, 82 contrary to what is typically observed in natural earthquakes. Afterslip has also been observed, 83 though to a limited extent, on large bi-axial faults composed of homogeneous granite interface (Ke et al., 2021). When ruptures are confined, limited afterslip occurs at the rupture arrest tip, 84 85 releasing about 5% of the stress deficit, which is significantly smaller than what is observed for 86 large earthquakes (Barbot et al., 2009; Cheloni et al., 2010; Smith & Wyss, 1968; Yagi et al., 87 2001, 2003). To our knowledge, laboratory experiments conducted on bare rock interfaces have 88 not yet reproduced large afterslip similar to what is observed after large natural earthquakes, 89 which is characterized by significant slip amplitude occurring outside of co-seismic slip patch.

Here, we tackle this issue by conducting laboratory triaxial experiments of homogeneous and heterogeneous faults composed of Westerly granite (prone to seismic behaviour) and Carrara marble (prone to aseismic behaviour) (Figure S1). The experiments were performed at confining pressure (P_c) ranging from 30 to 90 MPa to investigate the effect of different depth on heterogeneous fault's seismic cycle. These experiments allowed, for the first time, to reproduce afterslip in a triaxial apparatus, and to estimate the parameters controlling the distribution of fault slip during the different stages of the seismic cycle.

97 2. Experimental methods

98 Two lithologies were used for the study: Westerly granite (Rhode Island, USA) and Carrara 99 marble (Tuscany, Italy). These lithologies were selected because they are well studied in the literature (Fredrich et al., 1989; Lockner, 1998; Schmid et al., 1980; Tullis & Yund, 1977; 100 101 Wong, 1982) and have opposite frictional properties. Under the tested conditions, laboratory 102 experiments show that bare surface fault of Westerly granite are prone to seismic behaviour 103 (Lockner et al., 2017; Passelègue et al., 2016; Thompson et al., 2009), related to a velocity 104 weakening behaviour (Dieterich, 1979; Ruina, 1983). On the contrary, in the tested conditions, 105 Carrara marble is prone to aseismic behaviour (Aubry et al., 2020; Carpenter et al., 2016; Verberne et al., 2014), related to velocity-strengthening behaviour, and can experience a brittle-106 107 ductile transition at high confining pressure ($P_c > 50$ MPa (Fredrich et al., 1989; Meyer et al., 108 2019)).

109 Five faults, composed of homogeneous and heterogeneous half-sample, were tested: (i) 110 granite-on-granite fault (G_f), (ii) granite-on-granite with a marble asperity (M_{asp}), (iii) granite-111 on-marble with a granitic asperity (G_{asp}), (iv) granite-on-marble fault (GM_f), and (v) marbleon-marble fault (M_f) (Figure S1). All experiments were conducted in a triaxial loading 112 113 apparatus developed by CoreLabs (Brantut et al., 2011; Passelègue et al., 2016). Both axial and 114 radial pressure were monitored using pressure transducers (±50-kPa resolution). The axial 115 displacement (d_{ax}) was measured using three external gap sensors having a 0.1-µm resolution. In addition, 8 strain gauges were deployed around the fault (Figure S2), allowing to record local 116 117 strain measurement during the sample deformation. These strain gauges were glued parallel to 118 the axial stress (σ_{ax}) as close as possible to the fault. Note that the strain gauges were always 119 glued on the granite half sample (except for the M_f), to insure measurement on a homogeneous medium. During the sample deformation, all the mechanical data were recorded at 2400 Hz 120 121 sampling rate. An experiment consists in two main steps. After placing the fault assemblage 122 into the deformation apparatus, we first conducted successive deformation at 30, 60 and 90 MPa

123 confining pressure. During these three consecutive stages, the roughness of the fault is expected

124 to evolves with the cumulative displacement and with the increase of stress at fault asperities.

Because of that, in a second step, we conducted two additional experiments, decreasing first the confining pressure back to 60 MPa, and finally to 30 MPa. In the following, we mainly focus

127 on the experiments conducted during the first step (i.e., successive increase in confining

128 pressure). The results of the experiments conducted during the unloading steps will be discussed

129 in the section 4 only. For additional information on the experimental methods, please refer to

130 the Supplementary Material section 1.

131 3. Experimental results

132 **3.1.** Macroscopic measurements

133 The experimental results show that the fault slip behaviour depends primarily on the sample 134 composition (Figure 1), and secondarily on the confining pressure. As expected, our two end-135 members tested fault show opposite seismic behaviour. Gf shows typical repeated stick-slip 136 (i.e., seismic) behaviour with co-seismic shear stress drop ($\Delta \tau$) increasing from ~ 3.3 to 14.8 137 MPa with increasing P_c from 30 to 90 MPa. In these experiments, most of the slip occurs 138 seismically (Figure 2a), as observed in previous studies (Lockner et al., 2017; Passelègue et al., 139 2016; Thompson et al., 2009). Conversely, Mf shows stable sliding behaviour for all the tested 140 $P_{\rm c}$. The heterogeneous samples (G_{asp}, M_{asp}, and GM_f) all show repeated stick-slip behaviour. 141 Interestingly, the macroscopic stress drop is decreasing with increasing marble content. For 142 example, at $P_c = 30$ MPa, $\Delta \tau$ is reduced from ~ 1.5 MPa for M_{asp} to 1 MPa for G_{asp} . For all the 143 heterogeneous samples, increasing the confining pressure favour larger macroscopic stress drop 144 (Figure 1).

145 To analyse further the influence of heterogeneities on the different stages of the seismic 146 cycle, we now describe the evolution of the shear stress and of the fault slip before, during and 147 after the main instabilities. For all the experiments, the inter-seismic phase is characterized by 148 an elastic stage, highlighted by a linear increase in shear stress during which no slip is observed 149 (Figure 2). This phase ends when the shear stress reaches a critical value allowing the initiation 150 of fault slip. At this point, the faults enter in a pre-seismic phase (or nucleation phase), which 151 is characterized by a deviation from linearity in the macroscopic shear stress, and by the onset 152 of fault slip (yellow areas, Figure 2a-d). The amount of slip during this stage remains small, but 153 is systematically observed. Following the nucleation phase, a rapid macroscopic stress drop 154 associated with fault slip is observed (Figure 2a-d). As expected from the values of the stress 155 drop, increasing the content of marble leads to a decrease of the co-seismic slip (Figure 2). For Gf, the amount of co-seismic slip increases from 34 to 116 µm with increasing the confining 156 157 pressure from 30 to 90 MPa (Figure 2e-g). For the heterogeneous fault (M_{asp}, G_{asp} and GM_f), the amount of co-seismic slip is about 7-15 μ m in average at $P_c = 30$ MPa, and of 13-25 μ m at 158 159 higher confining pressure (Figure 2e-g).

160 The main result of our study is that following the co-seismic phase, heterogeneous faults 161 exhibit an extended period of slip (Figure 2). This behaviour is particularly well observed for 162 G_{asp} and GM_f, where fault slip continues after the co-seismic phase over a non-negligible 163 amount of time (from 1 to 1.5 second at $P_c = 90$ MPa, blue areas in Figure 2c and d). 164 Remarkably, in the case of G_f, no fault afterslip is observed. Our results demonstrate that the 165 presence of a single marble asperity (Masp) allows fault afterslip to take up to 10% of the total 166 slip (i.e., pre-, co- and post-seismic slip, Figure 2e-g). Increasing the content of marble tends to 167 enhance fault afterslip. G_{asp} and GM_f show the largest and the longest afterslip stages. For these 168 faults, afterslip represent up to 28% of the total slip. Additionally, the fault afterslip increases

169 with P_c , increasing for example from 17% to 27% with increasing P_c from 30 to 90 MPa for

 G_{asp} (Figure 2e-g).







Figure 2: a-d) Shear stress (black curves) and fault displacement (blue curves) as a function of time measured during a typical event at $P_c = 90$ MPa on a) granite-on-granite (G_f), b) granite-on-granite with marble asperity (M_{asp}), c) granite-on-marble with granite asperity (G_{asp}), and d) granite-on-marble (GM_f) samples. The yellow, red and blue zones represent the pre-seismic, co-seismic and post-seismic phases, respectively. e-g) Fault slip (average of all the events) recorded during pre-seismic, co-seismic and post-seismic phases for the tested fault that experienced seismic behaviour for e) $P_c = 30$ MPa, f) $P_c = 60$ MPa and g) $P_c = 90$ MPa. The symbols of the x-axis represent the two sides of the fault tested (grey for granite and white for marble). In each plot, the insert represents the fault slip distribution for each tested condition.

174 3.2. Local strain measurements

To analyse the slip distribution during the different stages of the seismic cycle, the array of strain gauges measuring axial strain variation close to the fault was used. In the following the influence of heterogeneity on the nucleation, co-seismic and post-seismic phases are described using this array.

179

3.2.1 Nucleation of instability

180 As observed in the macroscopic measurements (Figure 2), the initiation of the nucleation 181 stage is highlighted by the strain gauges array when the inelastic strain (see Supplementary Material section 1.4) departs from 0 (Figure 3 and Figure 4). Note that a decrease in inelastic 182 183 strain is a proxy for fault slip, while an increase in inelastic strain is a proxy for fault stick (or slipping less than the rest of the fault). The nucleation stage is clearly marked for G_f, where the 184 185 onset of nucleation, associated with the propagation of a quasi-static slip front, can be tracked spatially. The quasi-static slip front initiates in the upper part of the fault (blue and green curves 186 187 on Figure 3a-c, Figure 4a, and Figure S7a-c) and propagates toward the bottom of the fault 188 (Figure 3a-c and Figure 4a).

In the case of heterogeneous fault, the nucleation stage is more complicated. For M_{asp} , at confining pressures of 30 and 60 MPa, the initiation of the pre-seismic phase is more localized at the granite-granite contacts (Figure S7d-f). Meanwhile, inelastic strain near the asperity (yellow and green curves in Figure S7d-f) is increasing, indicating that this part of the fault remains locked. However, at $P_c = 90$ MPa, the nucleation is predominantly confined to the bottom left of the sample (orange curve in Figure 4b), while other parts of the fault remain

locked. For Gasp, the pre-seismic phase is primarily confined to the bottom of the asperity 195 196 (orange curve in Figure 3g-i, Figure 4c and Figure S7g-i), while the rest of the fault experiences 197 an increase in strain. Note that for this sample, an aborted pre-seismic phase could also be 198 observed on the top of the asperity (green curve on Figure 4c). Finally, for GM_f, the pre-seismic 199 phase is mainly confined to the bottom of the fault, with the top part remaining locked (Figure 200 3j-l, Figure 4d and Figure S7j-l). Notably, for all tested fault and confining pressure conditions, 201 the onset of the nucleation phase coincides with the location of maximum recorded stress 202 (Figures S9 and S10), i.e., where the static friction is the highest.

203 3.2.2 Co-seismic phase

The strain gauges array can be used to track the propagation of the seismic rupture (Passelègue et al., 2020). For G_f , the dynamic strain drop occurs at the same time on all the strain gauges (Figure 3a-c, Figure 4a and Figure S7a-c). Our temporal resolution does not allow us to see any propagation of this strain drop front, which means that the front must propagate at least at 190 m/s, and that the co-seismic rupture propagates through the entire fault.

209 For M_{asp}, the dynamic strain drop also occurs on all the strain gauges at the same time, 210 indicating fast rupture velocity. Additionally, at $P_c = 90$ MPa, the two strain gauges located at 211 the top of the sample measure an increase in strain rather than a drop (Figure 4b) suggesting 212 that this part of the fault did not break co-seismically. In the case of G_{asp}, a rapid strain drop is 213 observed only on the strain gauges located close to the asperity (i.e., at the centre of the fault, 214 Figure 4c). Strain gauges located further from the asperity experience a large increase in strain. 215 Finally, for GM_f, the co-seismic strain drop is also confined close to the nucleation zone (orange 216 curves on Figure 3j-l and Figure 4d). For G_{asp} and GM_f, increasing the confining pressure favour 217 a smaller spatial extent of the co-seismic rupture (Figure S7i-l).

218 3.2.3 Afterslip phase

The strain gauges array also recorded the signal of fault afterslip during the post-seismic stage. For the heterogeneous samples (particularly for the ones with high marble content), after the co-seismic phase, some strain gauges show a long strain release (Figure 3, Figure 4 and Figure S7). This long strain release is located in areas devoid of co-seismic strain drop, i.e., where a strain deficit has accumulated during the co-seismic phase.

224 For G_{asp}, the strain gauges located far from the seismic asperity exhibit a large increase of strain during the co-seismic phase (Figure 3g-I and Figure 4c). During the post-seismic phase, 225 226 these strain gages (blue curves in Figure 3g-i, blue and red curves in Figure 4c), are subjected 227 to a long-lasting strain decay. As observed on the macroscopic data, this phase is particularly 228 well developed at high P_c . The duration of this phase increase from ~0.2 to ~3s increasing P_c 229 from 30 to 90 MPa. The same behaviour for GM_f for the strain gages located far from the co-230 seismic strain drop (Figure 3j-1 and Figure 4d). Similarly, post-seismic phase seems to emerge for M_{asp} at large confining pressure (blue curve in Figure 3f). This result demonstrates that the 231 232 post-seismic phase, associated with afterslip is mostly observed far from the co-seismic strain 233 drop areas (Figure S8), and well captured by local strain gauges measurements (Figure 3g-l, 234 Figure 4c and d).

In summary, the macroscopic and strain gauge data show that the spatial and temporal evolution of slip and strain is more complex for heterogeneous faults than for homogeneous ones. In particular, the nucleation phase of heterogeneous faults is reduced in time and space compared to $G_{\rm f}$. However, heterogeneities favour local stress/strain changes subsequently to the co-seismic phase (i.e., confined stress/strain drop), that give rise to a stress/strain deficit at the edge of the rupture. This stress/strain deficit favour the emergence of fault afterslip.





Figure 3: Inelastic strain measurement obtained from two strain gauges as a function of time for the tested fault composition. SG5 (orange), having often the larger co-seismic strain drop; and SG2 (blue) having often the largest post-seismic long-term strain drop. For each case, a typical seismic event is presented. The symbols of the left represent the two sides of the fault tested (grey for granite and white for marble). a-c) G_f, d-f) M_{asp}, g-i) G_{Asp}, j-l) GM_f. a,d,g,j) $P_c = 30$ MPa, b,e,h,k) $P_c = 60$ MPa and c,f,i,l) $P_c = 90$ MPa. Note that the inelastic strain scale is different for each plot. The colour of the curve represents the strain gauge position on the sample schematic. See Figure 4 and Figure S7 in the supplementary material for the data measured at all the strain gauges.



Figure 4: Inelastic strain measurement obtained from the eight strain gauges as a function of time for the tested fault composition at 90 MPa of confining pressure. For each case, a typical seismic event is presented. The symbols of the left represent the two sides of the fault tested (grey for granite and white for marble). a) G_{f} , b) M_{asp} , c) G_{asp} , d) GM_{f} . Note that the inelastic strain scale is different for each plot. The colour of the curve represents the strain gauge position on the sample schematic. See Figure S7 in the supplementary material for the data at all tested confining pressure.

4. Discussion

245 Our experiments highlight that frictional heterogeneities are able to modify the seismic cycle 246 of a simple geometry fault. Particularly, granite-granite contacts favour the release of the accumulated stress through dynamic events. Instead, for the granite-marble contact, stress is 247 248 released not only through dynamic events, but also through fault afterslip during a post-seismic phase. This behaviour is observed at all the tested confining pressures. However, higher 249 confining pressures tend to favour fault afterslip of larger magnitude that last longer (Figure 2 250 251 and Figure 3). Our experiments are in this sense in agreement with rate-and-state models 252 proposed for afterslip (Marone et al., 1991), as frictional heterogeneity are needed (or at least 253 help) for the emergence of afterslip.

As stated previously, we find that fault afterslip is preferentially observed on strain gauges that exhibits little to no dynamic co-seismic strain drop (Figure S8). These results agree with observations from natural earthquake, where afterslip tends to occur in region devoid of coseismic slip (Barbot et al., 2009; Gualandi et al., 2017; Hsu et al., 2002; Lu & Zhou, 2022; Miyazaki et al., 2004; Perfettini & Avouac, 2007) or with a little overlap (Barnhart et al., 2016; Hsu et al., 2006, 2009; Lin et al., 2013; Ozawa et al., 2012; Wimpenny et al., 2017).

Our experiments suggest that for afterslip to take place during our experiments, two mutually dependent conditions are required: (i) a seismic event confined within the experimental fault length, and (ii) a zone around the co-seismic rupture that is critically loaded and not prone to seismic behaviour, i.e., exhibiting preferentially aseismic slip or velocity strengthening behaviour. In our case, these conditions are favoured along the granite-marble contacts. Particularly, the case of G_{asp} sample demonstrates that frictional heterogeneities can be a key parameter for large afterslip (Figure 2, Figure 3g-I and Figure 4c).

However, the bi-material fault experiment (GM_f) is more puzzling. Even if the fault is composed of two materials, the frictional property of this bi-material interface should be 269 constant across the fault, and should therefore produce seismic or aseismic slip. However, the 270 behaviour is similar to G_{asp}, i.e., dynamic events are confined within the fault length, and fault 271 afterslip occurs in areas devoid of co-seismic rupture (Figure 3j-1). A possible explanation could 272 be that stress heterogeneity (Figure S9 and S10 in the supplementary material) induce highly 273 localized spatial frictional changes of the interface, and a transition from velocity strengthening 274 to velocity weakening behaviour along the fault due to plastic processes at the scale of 275 asperities, as observed previously in calcite-rich bare surface (Aubry et al., 2020). The second 276 hypothesis is the development of a patch of granite rich fault gouge along the interface, allowing 277 to nucleate and propagate locally a dynamic instability (Figure S11 in the supplementary 278 material).

279 To understand further the dynamics of fault afterslip, we analyse our post-seismic data 280 within the rate-and-state framework. For that, we used the strain gauge measurements, in which 281 the transition between co-seismic and post-seismic phase is clearly identified as it is separated 282 in space and time (Figure 3 and Figure 4). To prevent possible contamination of afterslip motion 283 by the co-seismic rupture, we assume that the fault afterslip begins at the end of the rapid strain 284 drop recorded by the strain gauge located the closest to the dynamic rupture (Figure S13). We 285 consider the end of the post-seismic phase when the inelastic strain rate at the strain gauges 286 goes back visually to 0. In this rate-and-state framework, we assume that all the strain released 287 during the post-seismic phase occurs on the frictional interface, and that nothing is released 288 within the bulk of the sample, which is commonly assumed for natural events. Note that for the 289 performed experiments, this assumption seems reasonable as no bulk deformations has been 290 observed on the post-mortem analysis of Mf and Gasp samples. We model the slipping region as 291 a spring-slider system obeying rate-and-state friction (Dieterich, 1979; Ruina, 1983). Assuming 292 steady-state approximation and that the loading rate during this phase is negligible, the strain 293 relaxation during post-seismic deformation on a frictional interface can be described as 294 (Helmstetter & Shaw, 2009; Marone et al., 1991; Scholz, 2019):

295
$$\varepsilon = \dot{\varepsilon}_0 t_0 \ln\left(\frac{t}{t_0} + 1\right), \tag{1}$$

296 with
$$t_0 = \frac{\sigma_n (a-b)^*}{(k/K)\dot{\varepsilon}_0}$$
 (2)

297 where σ_n is the normal stress acting on the fault, $(a-b)^*$ is the apparent steady-state rate-and-298 state parameter, k is the spring stiffness, K is a coefficient relating the change in axial strain 299 with fault slip ($\varepsilon = K\delta$, δ being the slip), $\dot{\varepsilon}_0$ is the strain rate observed at the strain gauge 300 location at the onset of afterslip, and t_0 is a characteristic time. The spring stiffness, k, relates 301 the change in shear stress on the fault during the initial linear elastic loading of the sample, and 302 is directly measured experimentally. The parameters K is estimated through finite elements 303 analysis following the method developed by Dublanchet, (2024). This approach accounts for the geometry of the fault and of the sample (See supplementary material section 7 for details). 304 K depends on the strain gauge location, e.g., $K=14.5 \text{ m}^{-1}$ for SG2. 305

For the inversions, we fixed $\dot{\epsilon}_0$ using the value retrieved experimentally on the strain gauge 306 used, at the onset of fault afterslip, and we only invert for t_0 . Eq. (1) provides a good fit of our 307 308 experimental data (Figure 5a and Figure S12), highlighting that the released strain related to 309 fault afterslip evolves as a logarithmic function of time, as observed after natural earthquakes 310 (e.g., Barbot et al., 2009; Cheloni et al., 2010; Smith & Wyss, 1968; Yagi et al., 2001). Note 311 that using equation (1) and (2), only positive values of $(a-b)^*$ are considered, i.e., velocity 312 strengthening behaviour. Other approximations exist involving negative values of $(a-b)^*$, i.e., 313 velocity weakening behaviour, (Helmstetter & Shaw, 2009), however they imply stiffness or 314 stress conditions ($k > k_c$, where k_c is a critical stiffness; or $\tau \ll \tau_{ss}$, where τ_{ss} is the shear stress at 315 steady state; see Helmstetter & Shaw, 2009 Table 2) that are not realistic for our performed 316 experiments.

317 Assuming this hypothesis, the inversions conducted imposing our measurement of $\dot{\varepsilon}_0$ demonstrate at first order that, an increase in $\dot{\varepsilon}_0$ leads to a decrease in t_0 (Figure 5b and 5c). 318 319 Considering only the experiments conducted during the loading step, t_0 is slightly increasing 320 with increasing confining pressure, for both Gasp and GMf (Figure 5b). In addition, the inverted 321 values are generally larger for GM_f than for G_{asp}, in agreement with the increase in final strain 322 released by fault afterslip. For both samples, the inverted t_0 are of the order of few milliseconds, 323 that is, ~3 orders of magnitude shorter than the total duration of post-seismic phase. Assuming 324 simply Eq. (2), this increase in t_0 is expected to result from an increase in $(a-b)^*$ with increasing 325 confining pressure, since the increase in normal stress acting on the fault at each confining 326 pressure tested is not enough to explain the observed trend (Figure 5b). Interestingly, the trend 327 is different for the experiments conducted during the unloading step of the experiments, i.e., 328 decreasing the confining pressure from 90 MPa to 30 MPa (Figure 5c). Once the fault surface 329 has experienced stick-slip events and fault afterslip at $P_c = 90$ MPa, the frictional properties of 330 the fault seem to remain similar to the one observed at 90 MPa. For these experiments, the 331 general trend in t_0 can be explained by Eq. (2), assuming simply the change in normal stress at 332 the different confining pressure tested, and a similar value of $(a-b)^* = 0.006$ (Figure 5c).

Thanks to our direct experimental and numerical measurement of σ_n , k, K and $\dot{\varepsilon}_0$, $(a-b)^*$ can 333 334 be estimated from Eq. (2) for each event. Note that these estimates are expected to represent 335 the frictional parameters during the afterslip phase, and representative of the granite-marble interface only, since we conducted the inversions only for Gasp and GMf. Assuming the values 336 337 of t_0 inverted from our inversion and our direct measurements of $\dot{\varepsilon}_0$, an increase of $(a-b)^*$ is 338 observed with increasing the final values of post-seismic strain (Figure 5d). In addition, our 339 results demonstrate that increasing the confining pressure (i.e., the normal stress) leads to an 340 increase in $(a-b)^*$ for both G_{asp} and GM_f (transparency datapoint in Figure 5d). This increase in 341 $(a-b)^*$ could be directly related to an increase in (a-b) (here rate-and-state parameters) of the 342 marble-granite contact with increasing confining pressure. Indeed, the increase of $(a-b)^*$ with 343 confining pressure is similar in magnitude than the increase in (a-b) obtained for calcite gouge 344 under the same normal stress conditions previously documented (Carpenter et al., 2016; 345 Verberne et al., 2015). In agreement with the inverted values of t_0 , GM_f presents generally larger 346 values of $(a-b)^*$ and final post-seismic strain release (Figure 5d). However, the events recorded 347 at 60 MPa and 30 MPa confining pressure during the unloading step of the experiments (i.e., 348 after the experiments conducted at 90 MPa confining pressure), exhibit larger post-seismic 349 strain, and larger values in $(a-b)^*$ than the events conducted at the same confining pressure 350 during the loading step (Figure 5d). Therefore, after a fault interface has undergone stick-slip events and afterslip at $P_{\rm c} = 90$ MPa, its frictional properties retain a memory of the past 351 352 deformation. Similar observations have been previously made on gouge samples (Hong & 353 Marone, 2005; Pozzi et al., 2022; Scuderi et al., 2017), suggesting that our inversions of the 354 apparent rate-and-state parameters, through our measurements of post-seismic strain release, 355 are a real proxy for the frictional parameters of the fault at the strain gauge location.

Remarkably, analysing all experiments together, the inverted $(a-b)^*$ align for each tested confining pressure (Figure 5d). At large confining pressure, similar values of post-seismic strain release requires smaller $(a-b)^*$ values than at low confining pressure. These results trend to demonstrate that the amplitude of the strain release due to fault afterslip is mostly controlled by $\sigma_n(a-b)^*$. Indeed, multiplying each values of $(a-b)^*$ by the normal stress σ_n applied on the fault at the onset of post-seismic phase, collapses all the data set (Figure 5e). Our results confirm that fitting the fault afterslip of real earthquakes can provide a good estimate of the local frictional parameters of the fault. However, since the normal stress (or effective normal stress) remains poorly constrain along natural faults, only the inversion of $\sigma_n(a-b)^*$ (as performed in some natural afterslip inversion studies, e.g., Lin et al., 2013; Perfettini et al., 2010; Perfettini & Avouac, 2004, 2007; Wimpenny et al., 2017) can provide an element of comparison between the different stations, or between different earthquakes.

368 Finally, our results also demonstrate that $\dot{\varepsilon}_0$ trend to increase with confining pressure (Figure 369 5b and c), and with the average stress drop during instabilities (Figure 5f). This increase in $\dot{\epsilon}_0$ 370 leads to the decrease in t_0 observed at each confining pressure, as expected by the theoretical 371 predictions obtained from Eq. (2) (Figure 5b and c). This increase in $\dot{\varepsilon}_0$ with P_c can be attributed to an increase in sliding velocity during the confined co-seismic ruptures. Indeed, the strain rate 372 373 depends on the slip velocity time the parameter $K(\dot{\varepsilon} = KV_s)$. As K is constant in the tested range 374 of normal stress, $\dot{\varepsilon}$ is a direct function of the slip velocity reached at the onset of the fault 375 afterslip. Following previous studies, the slip velocity at the onset of fault afterslip is expected to be a function of the stress drop and of the normal stress following $V_0 = V_{\text{pl}} \exp\left[\frac{\Delta \tau}{(a-b)\sigma_n}\right]$ 376 377 (Perfettini & Ampuero, 2008; Perfettini & Avouac, 2007). Even if our measurement $\Delta \tau$ are 378 obtained far from the fault (estimated from our pressure transducers), and therefore, potentially 379 underestimated, our experimental results seem to confirm this exponential relationship between V_0 and $\Delta \tau$ (Figure 5f). However, the role of $\dot{\varepsilon}_0$ on the final value of strain release during the 380 381 post-seismic slip remains secondary compared to $\sigma_n(a-b)^*$ that has a predominant effect (Figure 382 5e).

In summary, the evolution of the fault afterslip is well explained by the rate-and-state framework, and appears to be a combination of 1) the strain rate at the onset of afterslip $\dot{\varepsilon}_0$, which trend to decrease t_0 and 2) the frictional properties (i.e., $(a-b)^*$) around the area experiencing a dynamic stress/strain drop, which tends to increase with confining pressure.

387 For natural earthquakes, afterslip has been often proposed as the main driving force of the 388 aftershock sequences (Avouac, 2015; Helmstetter & Shaw, 2009; and references therein). If the 389 performed experiments do not allow to correlate afterslip and aftershock sequence (as no 390 acoustic emission were emitted during afterslip sequences), they are able to identify the main 391 parameters influencing the amplitude of afterslip. Our data alongside with recent experimental 392 data performed on heterogeneous fault material (e.g., Arts et al., 2024; Bedford et al., 2022; 393 Song & McLaskey, 2024) highlight the major role of frictional heterogeneity on the fault 394 strength and stability. In particular, they allow for the emergence of afterslip similar to the one 395 occurring after large earthquakes.



Figure 5: a) Post-seismic strain as a function of time measured experimentally at one strain gauge SG2, along with the modelled one using equation (1). Here, the experimental data are for the strain measured at strain gauge 2 of the GM_f at $P_c = 60$ MPa. The red curve is the best fit using the experimentally retrieved $\dot{\varepsilon}_0$ and inverted t₀. The blue curve is the best fit inverting both $\dot{\epsilon}_0$ and t₀. b) Measured strain rate at the onset of postseismic phase $\dot{\varepsilon}_0$ as a function of the inverted t_0 for all the afterslip recorded at strain gauge for the experiments conducted during the loading step (i.e., increasing confining pressure) of the experiments. The solid lines correspond to the estimate of t_0 as a function of $\dot{\varepsilon}_0$ for the three average values of σ_n and $(a-b)^*$. c) Measured strain rate at the onset of post-seismic phase $\dot{\varepsilon}_0$ as a function of the inverted t_0 for all the afterslip recorded at strain gauge for the experiments conducted during the unloading step. The data presented in figure b) are displayed in transparency. For panel b) and c), the size of the datapoint represent the total amplitude of postseismic strain. d) Apparent rate-and-state parameter $(a-b)^*$ obtained from the inverted t_0 and the measured $\dot{\varepsilon}_0$, k and σ_n (equation 2) as a function of the post-seismic strain. e) Same as panel d) except that $(a-b)^*$ is multiplied by the normal stress, allowing to collapse the data. The colour bar represents the macroscopic shear stress drop, $\Delta \tau$. f) Measured strain rate at the onset of post-seismic phase, as a function of the macroscopic shear stress drop, $\Delta \tau$. The full curves show $\frac{\dot{\epsilon}_0}{\kappa} = V_{\text{pl}} \exp\left[\frac{\Delta \tau}{(a-b)\sigma_n}\right]$, with V_{pl} being the far field loading rate (1.4 µm/s), (*a*-*b*) = 0.003, and for the three tested normal stress. For panels b-f) triangles and circles represent G_{asp} and GM_{f} , respectively. For panel c-f), the datapoint in transparency are the one obtained during the rising confining pressure step and the full datapoint are during the decreasing confining pressure step.

397 5. Conclusion

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399 The experimental results presented in this manuscript challenge previous hypotheses derived 400 from natural observations regarding the emergence of fault afterslip following large 401 earthquakes. At the scale of our experiments, the presence of stress heterogeneities along the 402 fault, which can potentially arrest seismic ruptures, does not appear sufficient to trigger a 403 significant post-seismic phase. Instead, the emergence of afterslip in our experiments results 404 from the interaction between a propagating seismic front, which stops in an aseismic region, 405 causing a substantial increase in stress that is then released by fault afterslip. Our results are 406 consistent with natural observations, including (i) afterslip occurring preferentially outside of 407 the co-seismic rupture area, and (ii) a slip evolving with the logarithm of time. The measured 408 afterslip in our experiments are explained by simple model involving velocity-weakening 409 patches, governed by a rate-and-state friction law, surrounded by a velocity-strengthening 410 interface. This is supported by (i) the imposed rheology of our experimental faults, and (ii) the 411 observed exponential increase in initial afterslip velocity with increasing stress drop. Finally, 412 our results indicate that the afterslip magnitude is likely controlled by both the frictional 413 properties of velocity-strengthening patches and the normal stress acting along the fault plane. 414 Due to this complexity, independently analysing these parameters from natural afterslip 415 measurements is expected to remain challenging, especially given the uncertain on the stress 416 conditions along natural faults.

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